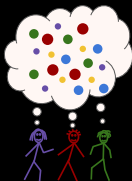


Market-Based Mechanisms for Acquiring and Aggregating Data



Bo Waggoner Microsoft NYC

TTIC, Aug 2018

based on work with Jacob Abernethy (Georgia Tech)
and Rafael Frongillo (U. Colorado)

Question

How to **procure data** from **strategic sources**?

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Interesting because: quantifies **value of information**

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Interesting because: quantifies **value of information**

Not addressed today: **crowdsourcing** approaches...

Instead: how to **pay strategic agents for data**

One line of work

[ABERNETHY, CHEN, HO, W EC 2015]¹:

¹cf [ROTH, SCHOENEBECK EC 2011]; [CHEN, IMMORLICA, LUCIER, SYRGKANIS, ZIANI EC 2018]

One line of work

[ABERNETHY, CHEN, HO, W EC 2015]¹:

- convex loss function, hypothesis $w \in \mathbb{R}^d$
- agents hold i.i.d. data and **cost to reveal**
- agents sequentially offered random price menu
prices \propto **value** of data
- prove generalization error $O\left(\sqrt{\frac{\gamma}{\text{Budget}}}\right)$

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Agents bid strategically, cannot modify or falsify data
future work!

¹cf [ROTH, SCHOENEBECK EC 2011]; [CHEN, IMMORLICA, LUCIER, SYRGKANIS, ZIANI EC 2018]

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First cut: incentivize **experts** to aggregate knowledge.

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Designer pays: $\ell(h^0, \text{data}) - \ell(h^T, \text{data})$

Extensions: markets for data

[W, FRONGILLO, ABERNETHY NIPS 2015]:

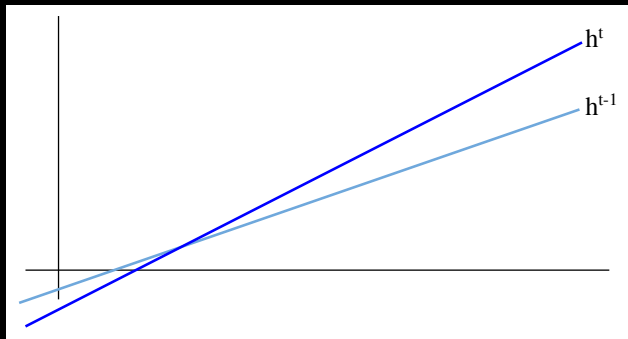
- Conditional (generalized regression) markets
- Kernel-ization
- Differentially private in data/modifications
not covered today



Example: linear regression

Market hypothesis: $h \in \mathbb{R}^d$

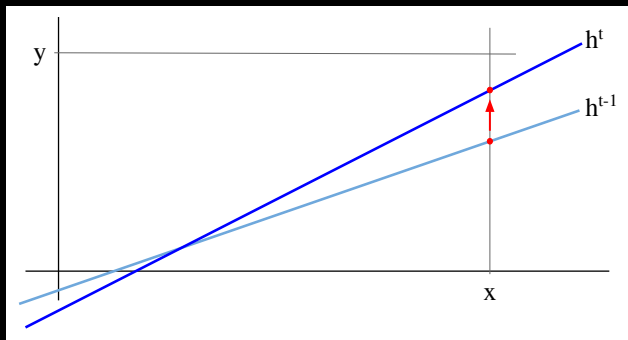
$$\hat{y} = h \cdot x$$



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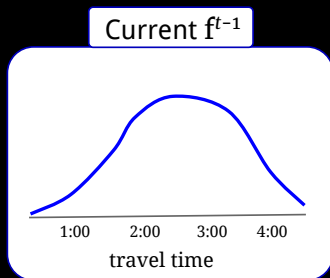
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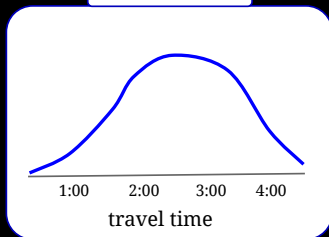
Pay $\approx h^{t-1} \cdot x$ per “share”; get payoff y

Example: kernel-ization

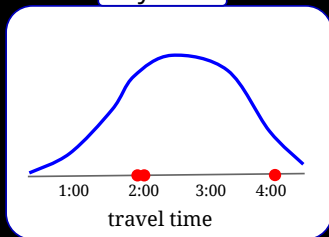


Example: kernel-ization

Current f^{t-1}

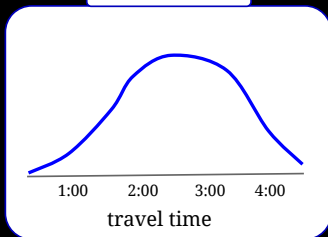


My data

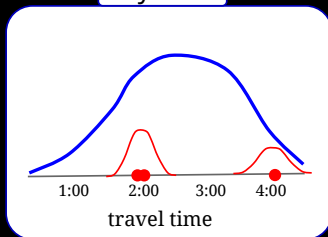


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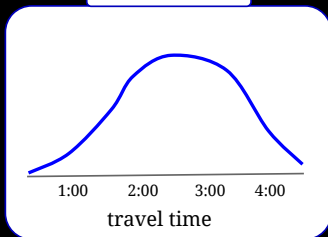


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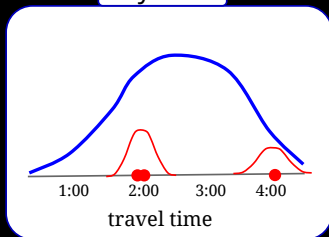


Example: kernel-ization

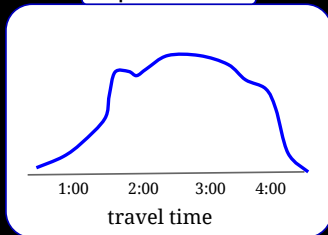
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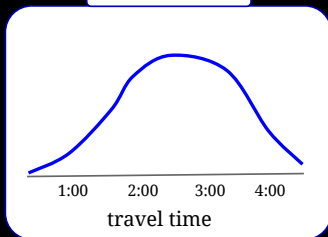


Updated f^t

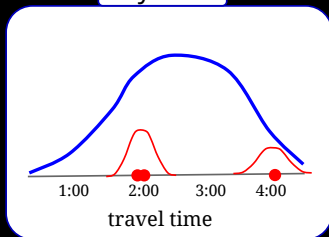


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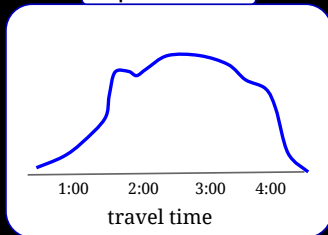
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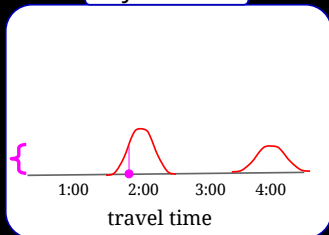
My data



Updated f^t



My reward



When do you get a “market”?

Theorem (Frongillo, W ITCS 2018)

*A learning mechanism can be written as a full “market” if and only if: the loss function is a **Bregman divergence***

Full market: *can resell previously-purchased contracts.*

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*A learning mechanism can be written as a full “market” if and only if: the loss function is a **Bregman divergence***

equivalently

*the learning problem is to **predict the mean**.*

Full market: *can resell previously-purchased contracts.*

Key points

- Understanding **data procurement** is interesting
- Market mechanism:
 - **aligns incentives**
 - interface with experts and data-providers
 - theory of elicitation → implications for design



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Tons of open directions for data procurement!

Thanks!